

Towards high-fidelity modeling of arc-jet environments and material response



ARChES
ARC Heater Simulator



DPLR
Data-Parallel Line Relaxation



PATO
*Porous-material Analysis
Toolbox based on OpenFOAM*

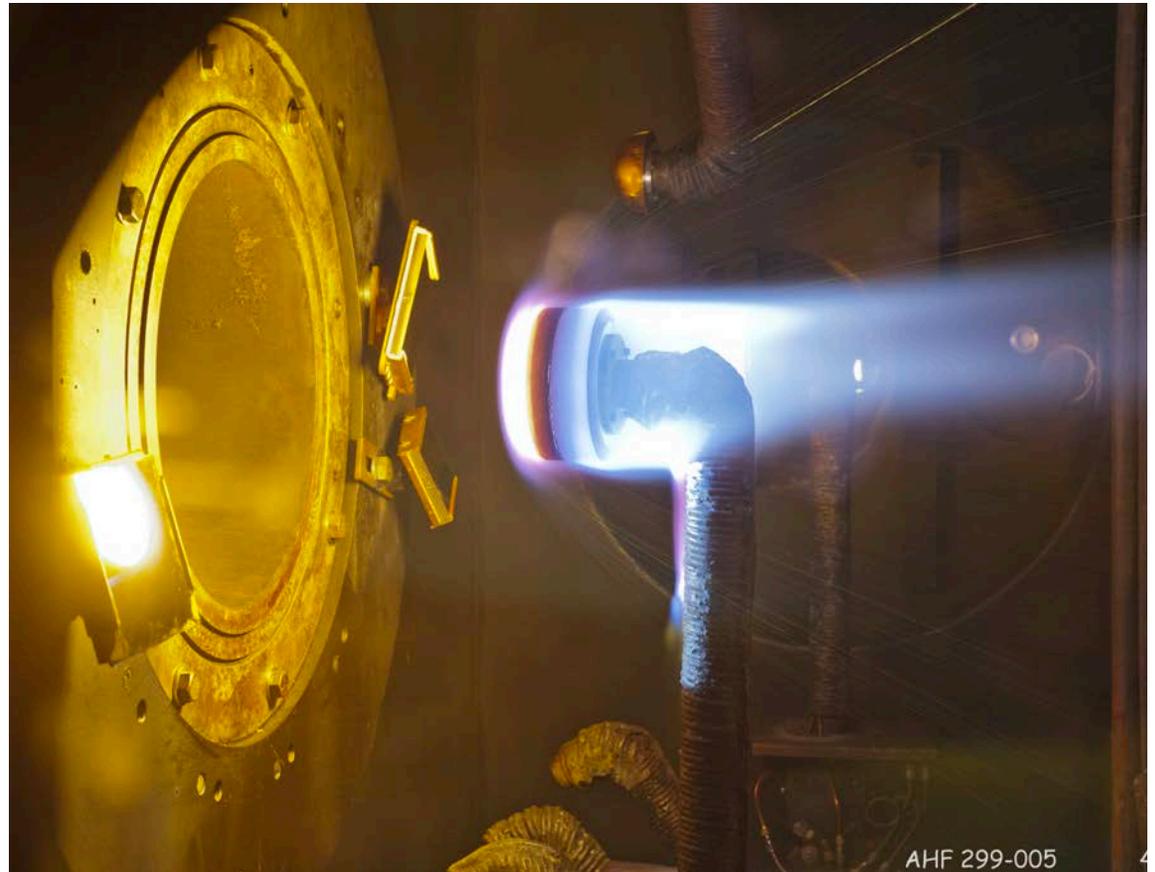
Jeremie Meurisse, Sergio Fraile Izquierdo, John Thornton,
Patricia Ventura Diaz, Magnus Haw, Brody Bessire and Nagi Mansour.

Advanced Modeling & Simulation (AMS) Seminar Series
NASA Ames Research Center, September 24th, 2020

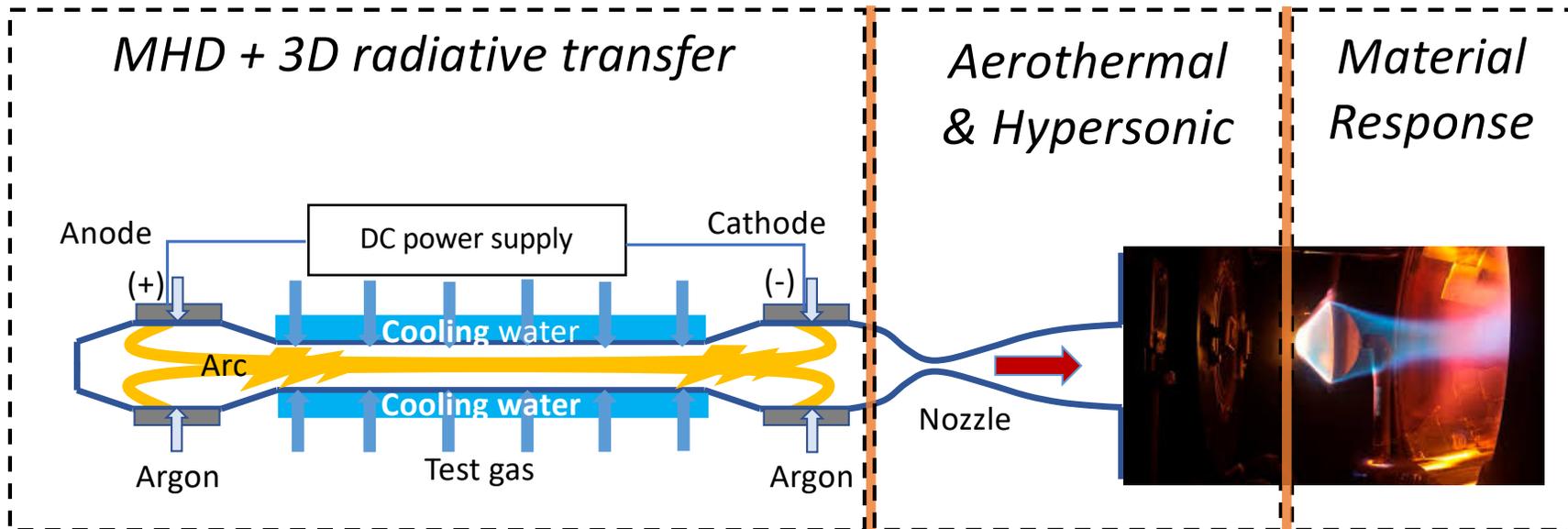
Introduction

Arc-Jets

- Arc-jets are essential facilities used in research, development and evaluation of Thermal Protection Systems (TPS) for hypersonic vehicles.
- Arc-jets produce high-enthalpy environments emulating atmospheric planetary entry.
- NASA's facilities:
 - NASA Ames Arc Jet Complex.
 - Hypersonic Materials Environmental Test System (HyMETS).



High-fidelity modeling of arc-jet testing



ARChES
ARC Heater Simulator



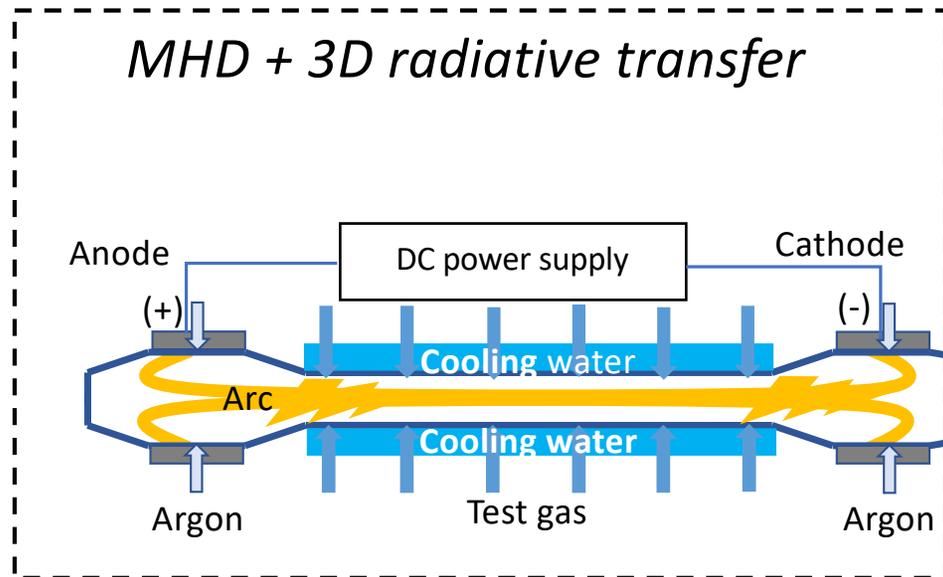
DPLR
Data-Parallel
Line Relaxation



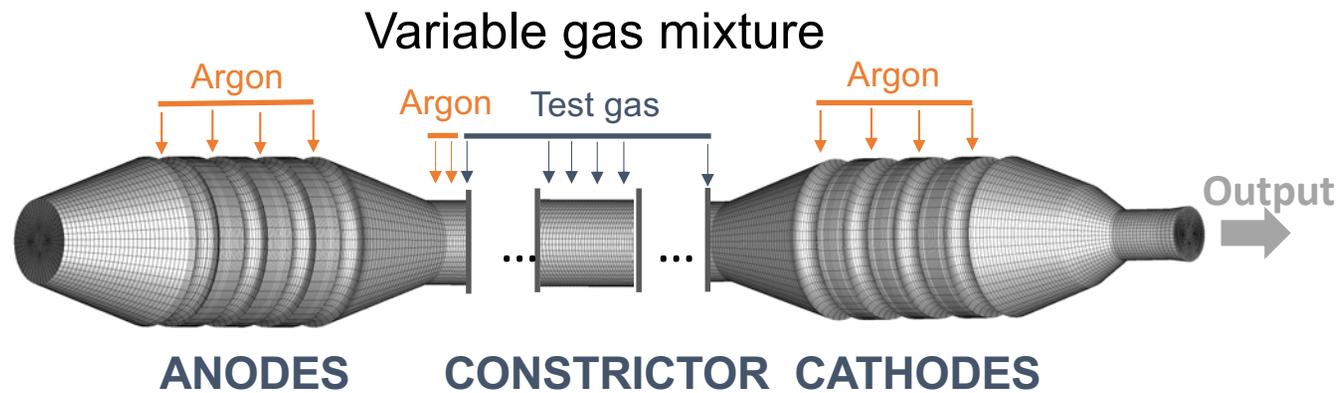
PATO
Porous-material Analysis
Toolbox based on OpenFOAM

Part 1

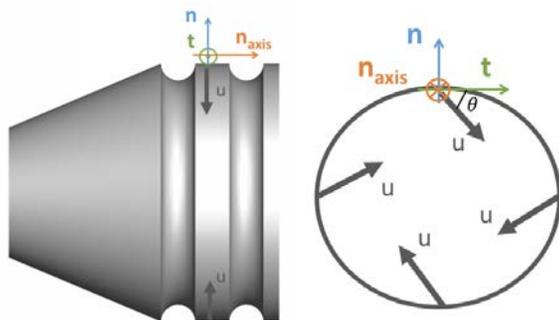
High-fidelity modeling of arc heaters



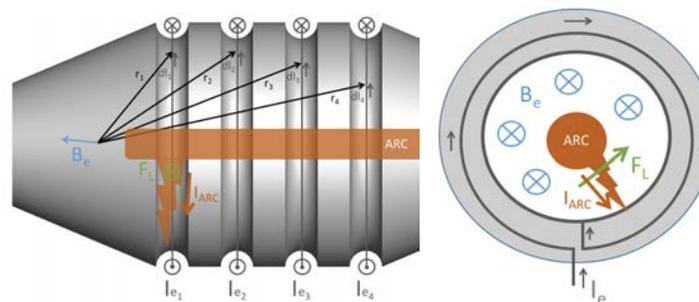
High-fidelity modeling of the arc heaters



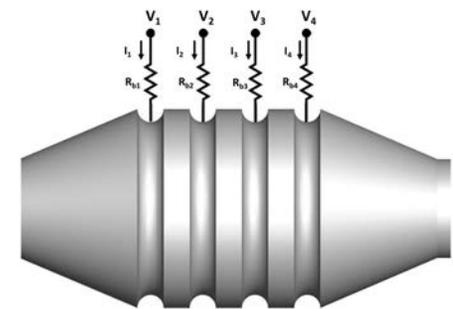
Swirl



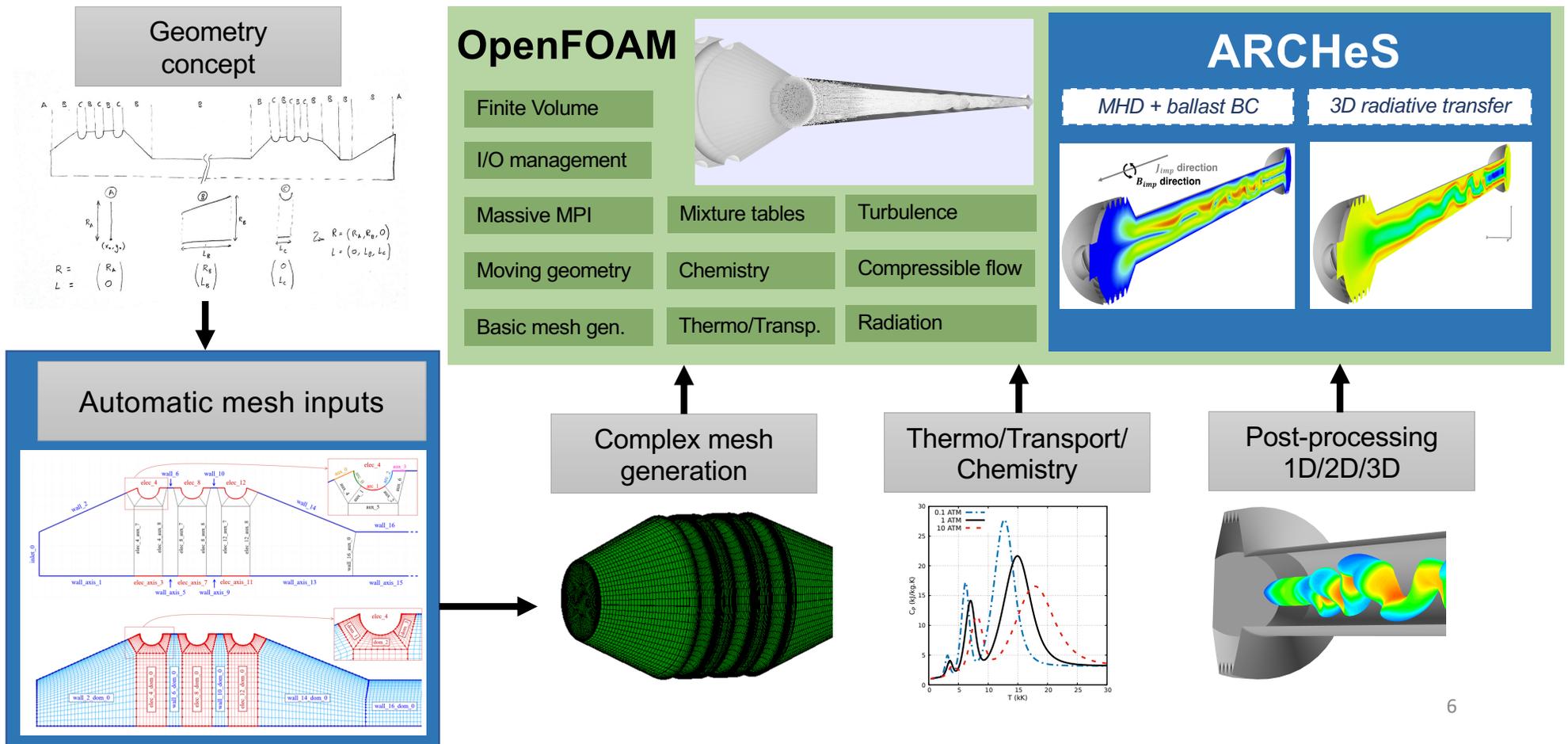
Internal magnetic drive



Electrical ballast



ARChES: ARC Heater Simulator [1]

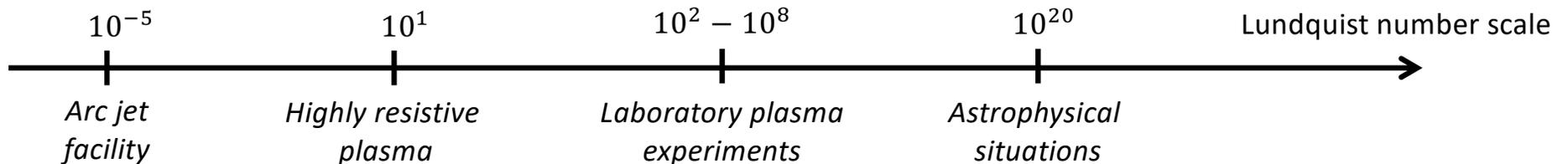


Modeling the **plasma**

FLOW CONDITION	$U_{\text{avg}} \approx 400 \text{ m/s}$	$P_{\text{avg}} \approx 13 \text{ atm}$	$T_{\text{avg}} \approx 8000 \text{ K}$
ELECTROMAG.	$I_{\text{avg}} \approx 1200 \text{ A}$	$B_{\text{avg}} \approx 0.2 \text{ T}$	$\sigma_{\text{avg}} \approx 0.1 \text{ S/m}$

$$S = \frac{L v_A}{\eta} = \frac{L \frac{B}{\sqrt{\rho \mu_0}}}{\eta} = 10^{-5}$$

High Lundquist numbers indicate **highly conducting** plasmas.
 Low Lundquist numbers indicate **more resistive** plasmas.



Electromagnetic model

$$S = \frac{L v_A}{\eta} = 10^{-5} \longrightarrow \text{The magnetic convection is negligible}$$

$$\mathbf{J} = \sigma \mathbf{E} \longrightarrow \text{The Ohm's law is simplified}$$

$$\partial_{\mathbf{x}} \times \mathbf{B} = \mu_0 \mathbf{J} \longrightarrow \text{The displacement current is ignored } (V_0 \ll c)$$

$$\mathbf{B} = \partial_{\mathbf{x}} \times \mathbf{A} \longrightarrow \text{The vector potential formulation ensures zero divergence of the } \mathbf{B} \text{ field}$$

$$\partial_{\mathbf{x}} \cdot \mathbf{J} = 0 \longrightarrow \text{Diverge of Ampere's law gives the continuity of current}$$

$$-\partial_{\mathbf{x}}^2 \mathbf{A} = \mu_0 \mathbf{J} \longrightarrow \text{Rotational of Ampere's law simplifies the equation}$$

$$\begin{cases} \partial_{\mathbf{x}} \cdot (-\sigma \partial_{\mathbf{x}} \phi_i) = 0 \\ \partial_{\mathbf{x}}^2 \mathbf{A}_i - \mu_0 \sigma \partial_{\mathbf{x}} \phi_i = 0 \end{cases} \longrightarrow \text{System of electromagnetic equations solved in ARChES}$$

Multiphysics model

MASS	$\partial_t \rho + \partial_x \cdot (\rho \mathbf{u}) = 0$
MOMENTUM	$\partial_t (\rho \mathbf{u}) + \partial_x \cdot (\rho \mathbf{u} \mathbf{u}) = -\partial_x p + \partial_x \cdot \bar{\bar{\tau}} + \mathbf{J} \times \mathbf{B}$
ENERGY	$\partial_t (\rho E_0) + \partial_x \cdot (\rho H_0 \mathbf{u}) = \partial_x \cdot (\bar{\bar{\tau}} \cdot \mathbf{u} + \mathbf{q}^{\text{cond}}) + \sigma \mathbf{E} ^2 + \mathbf{u} \cdot (\mathbf{J} \times \mathbf{B}) - \partial_x \cdot \mathbf{q}^{\text{rad}}$
IMPOSED CURRENT	$\partial_x \cdot (-\sigma \partial_x \phi_i) = 0 \quad \mathbf{E}_i = -\partial_x \phi_i \quad \mathbf{J}_i = \sigma \mathbf{E}_i$
IMPOSED MAGNETIC	$\partial_x^2 \mathbf{A}_i - \mu_0 \sigma \partial_x \phi_i = 0 \quad \mathbf{B}_i = \partial_x \times \mathbf{A}_i$
EXTERNAL MAGNETIC	$\mathbf{A}_e = \frac{\mu_0 I_e}{4\pi} \oint \frac{d\mathbf{l}}{ \mathbf{r} - \mathbf{r}' } \quad \mathbf{B}_e = \partial_x \times \mathbf{A}_e$
TOTAL FIELD	$\mathbf{B} = \mathbf{B}_i + \mathbf{B}_e \quad \mathbf{E} = \mathbf{E}_i \quad \mathbf{J} = \mathbf{J}_i$
RADIATION	$\mathbf{n} \cdot \partial_x I_\lambda(\mathbf{x}, \mathbf{n}) = \kappa_\lambda(\mathbf{x}) [B_\lambda(T) - I_\lambda(\mathbf{x}, \mathbf{n})]$

Efficient Variable Mixture Multi-Band Radiation Model [2]

P.O.C.: Sergio
Fraile Izquierdo

Two major approximations assumed:

- Medium in Local Thermodynamic Equilibrium (LTE)
- Scattering was neglected



Radiative Transfer Equation (RTE):

$$\hat{n} \cdot \nabla I_\lambda(\vec{x}, \hat{n}) = \kappa_\lambda(\vec{x}) [B_\lambda(T) - I_\lambda(\vec{x}, \hat{n})]$$

Radiative Heat Flux:

$$q(\vec{x}) = \int_0^\infty \int_\Omega I_\lambda(\vec{x}, \hat{n}) \hat{n} d\Omega d\lambda$$

NEQAIR was used to calculate the absorption coefficients for variable LTE air-argon mixtures

- $F(T, p, \chi)$
- M++ (equilibrium)
- 13 species (Air13)
- $\lambda = 0.04 - 20 \mu\text{m}$
- $550,000 \Delta\lambda$

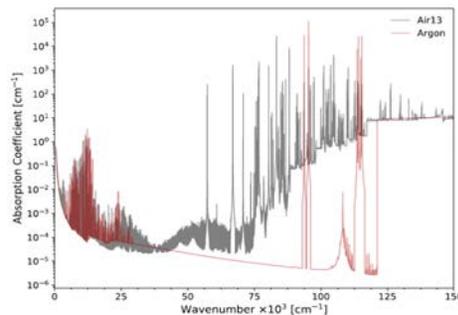


Fig. 1 Spectral absorption coefficients for LTE air and argon at 10,000 K and 1 atm

The multi-band method: reduces the spectrum into groups of wavelengths defining a mean absorption coefficient for each group or band:

$$\tilde{\kappa}_b = \kappa_{P_b} = \frac{\int_{\lambda_1}^{\lambda_2} \kappa_\lambda B_\lambda d\lambda}{\int_{\lambda_1}^{\lambda_2} B_\lambda d\lambda} \quad \triangleright \text{Planck MAC}$$

$$\tilde{\kappa}_b = \kappa_{R_b} = \frac{\int_{\lambda_1}^{\lambda_2} \frac{\partial B_\lambda}{\partial T} d\lambda}{\int_{\lambda_1}^{\lambda_2} \frac{1}{\kappa_\lambda} \frac{\partial B_\lambda}{\partial T} d\lambda} \quad \triangleright \text{Rosseland MAC}$$

$$\tilde{\kappa}_b = \kappa_{BPR_b} = \sqrt{\kappa_{P_b} \kappa_{R_b}} \quad \triangleright \text{Blended-PR MAC}$$

Efficient Variable Mixture Multi-Band Radiation Model [2]

P.O.C.: Sergio
Fraile Izquierdo

Radiative Heat Transfer model:

- **LBL**: very accurate & expensive.
- **Planck and Rosseland**: high error at low number of bands and cost-effective.
- **Blended-PR**: low error at low number of bands and cost-effective.

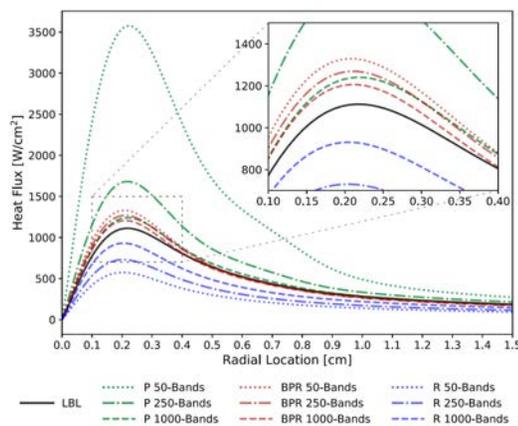


Fig. 1 Heat flux profiles for LBL and different banding models at 10 atm

Variable Air-Argon mixture model:

- Capability to compute variable Air-Argon mixtures on the fly
- Spectral properties of air-argon mixtures can be estimated from air and argon's data.

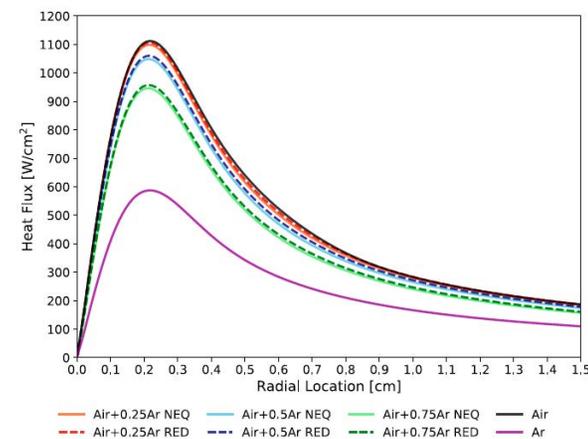
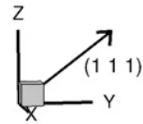


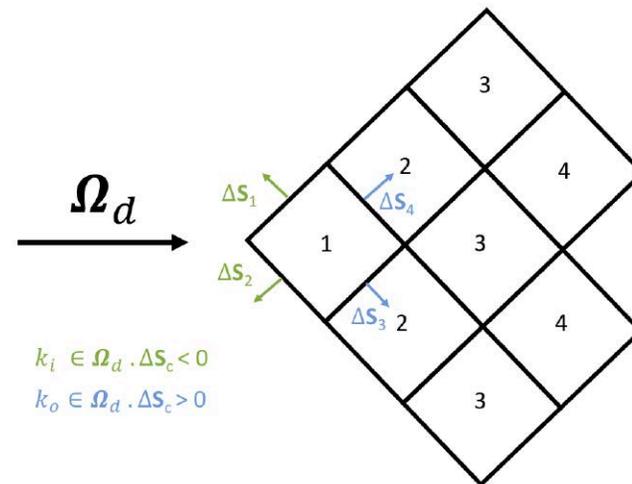
Fig. 2 Heat flux profiles for air-argon mixtures computed LBL and using the reduced model at 10 atm

Efficient 3D radiative transport advance order method

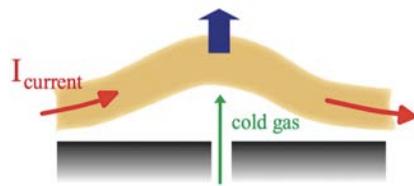


$$I_{v,c}^d = \frac{\sum_{k_i}^{N_{k_i}} I_{v,k_i}^d \Omega_d \cdot \Delta S_c + \kappa_{v,c} B_{v,c} V_c}{\sum_{k_o}^{N_{k_o}} I_{v,k_o}^d \Omega_d \cdot \Delta S_c + \kappa_{v,c} V_c}$$

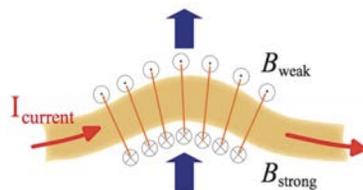
$$\partial_x \cdot q^{\text{rad}} = \sum_v^{N_b} \sum_d^{N_d} \frac{a_d I_{v,c}^d \Omega_d \cdot \Delta S_c}{V_c}$$



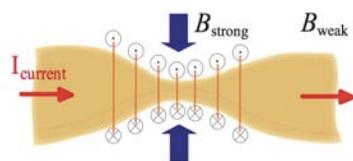
Capturing the electric arc instabilities



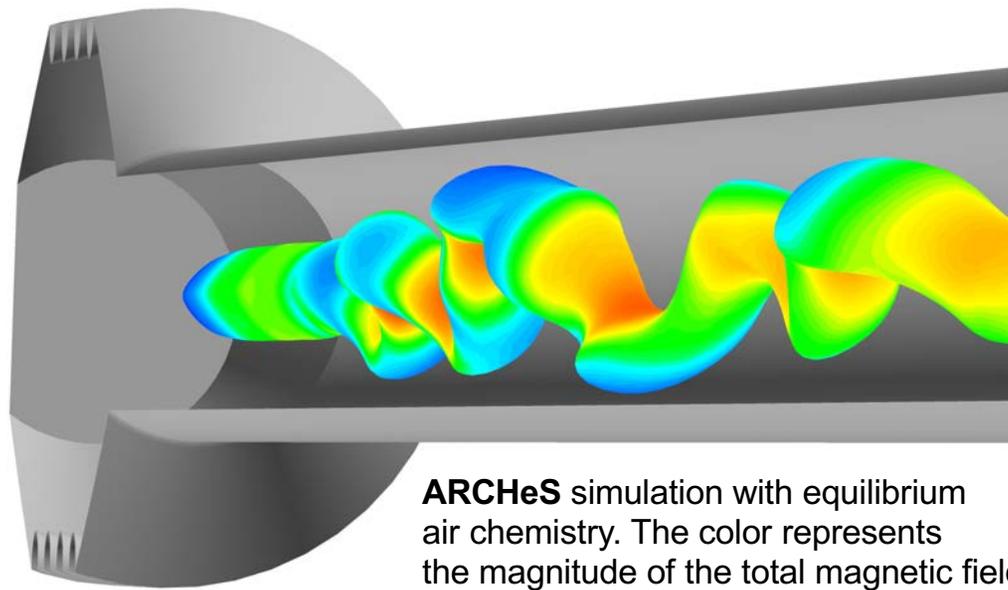
Thermal instability



Kink instability



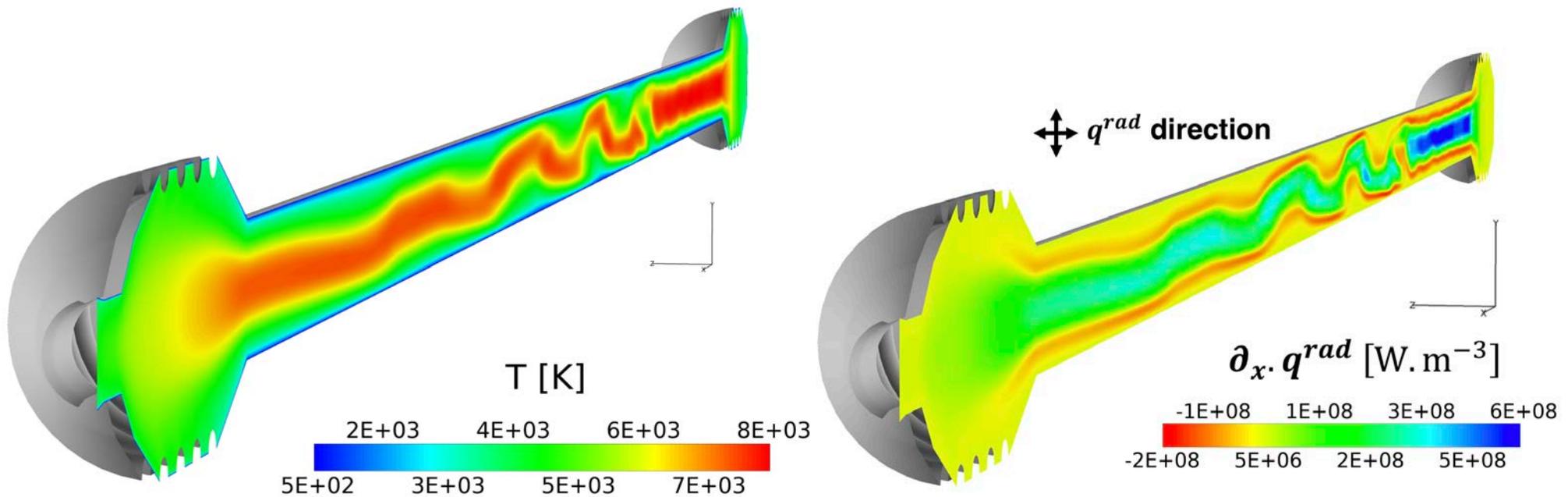
Sausage instability



ARChES simulation with equilibrium air chemistry. The color represents the magnitude of the total magnetic field. Iso-surface of the current density of 1 MA/m².

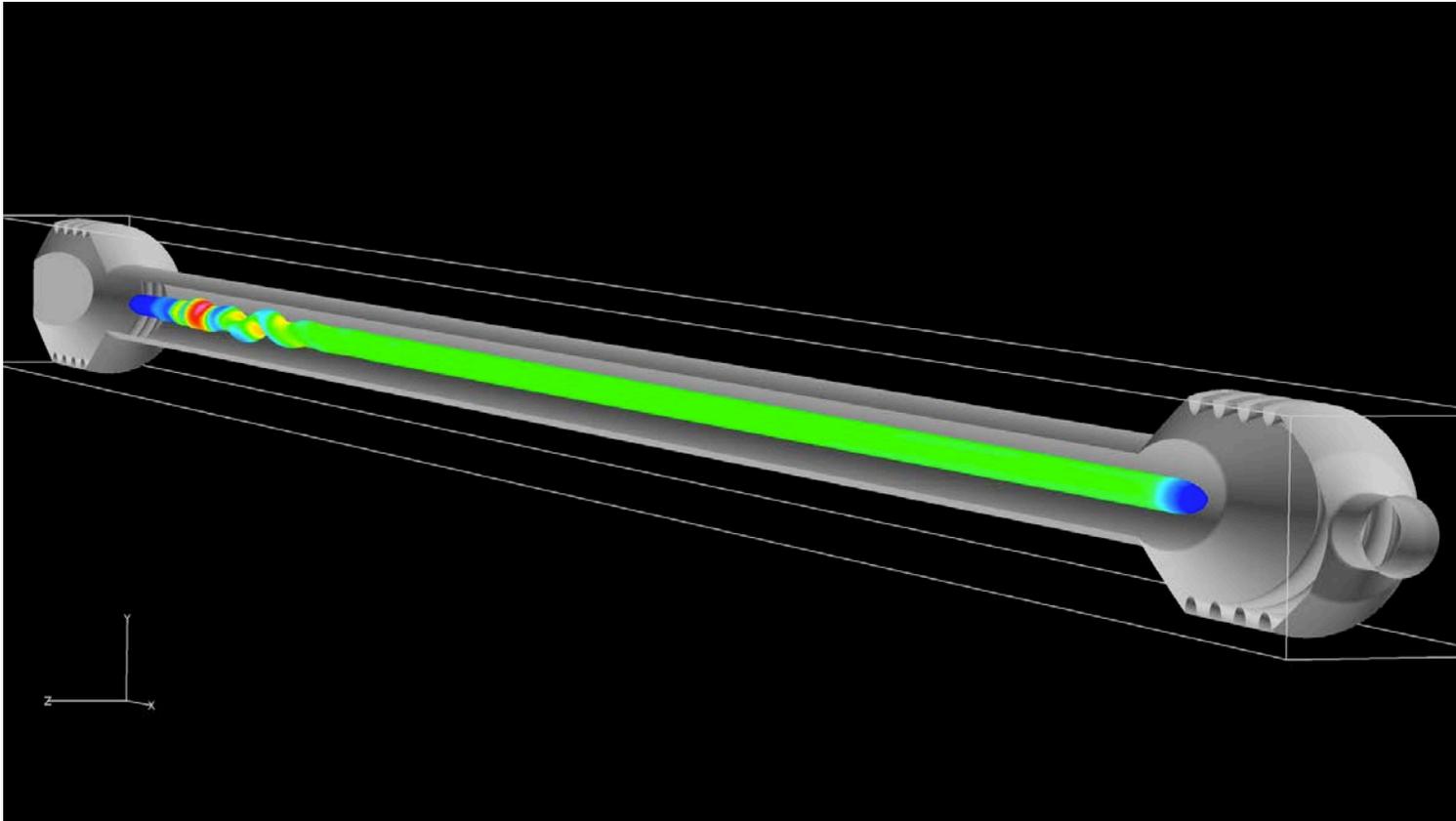
Stable arc next to the electrode chambers.
Instabilities arise in the constrictor.

Temperature and radiation results

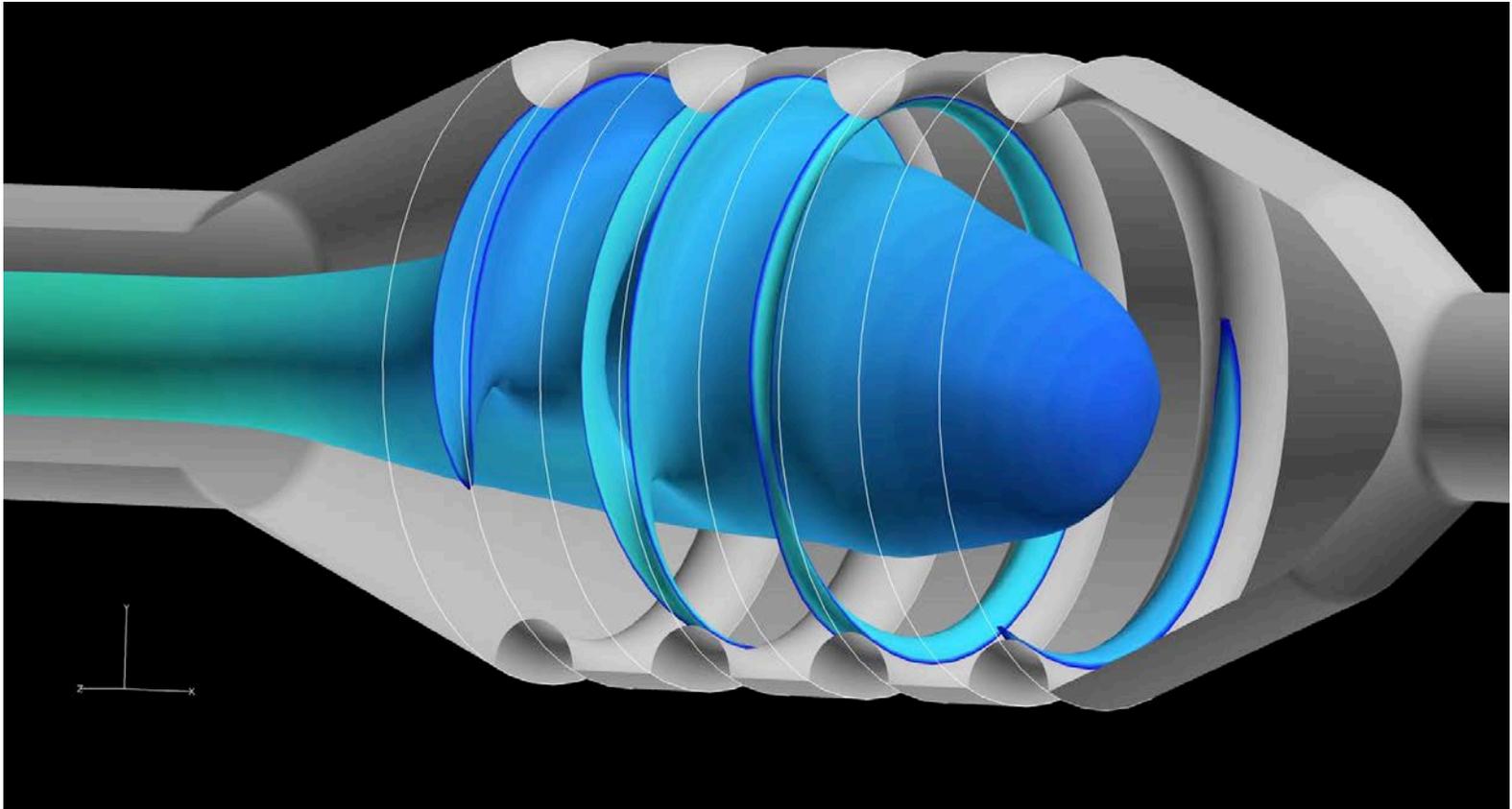


Hot electric arc core cools down and the surroundings warm up.
Importance of the 3D radiative transfer.

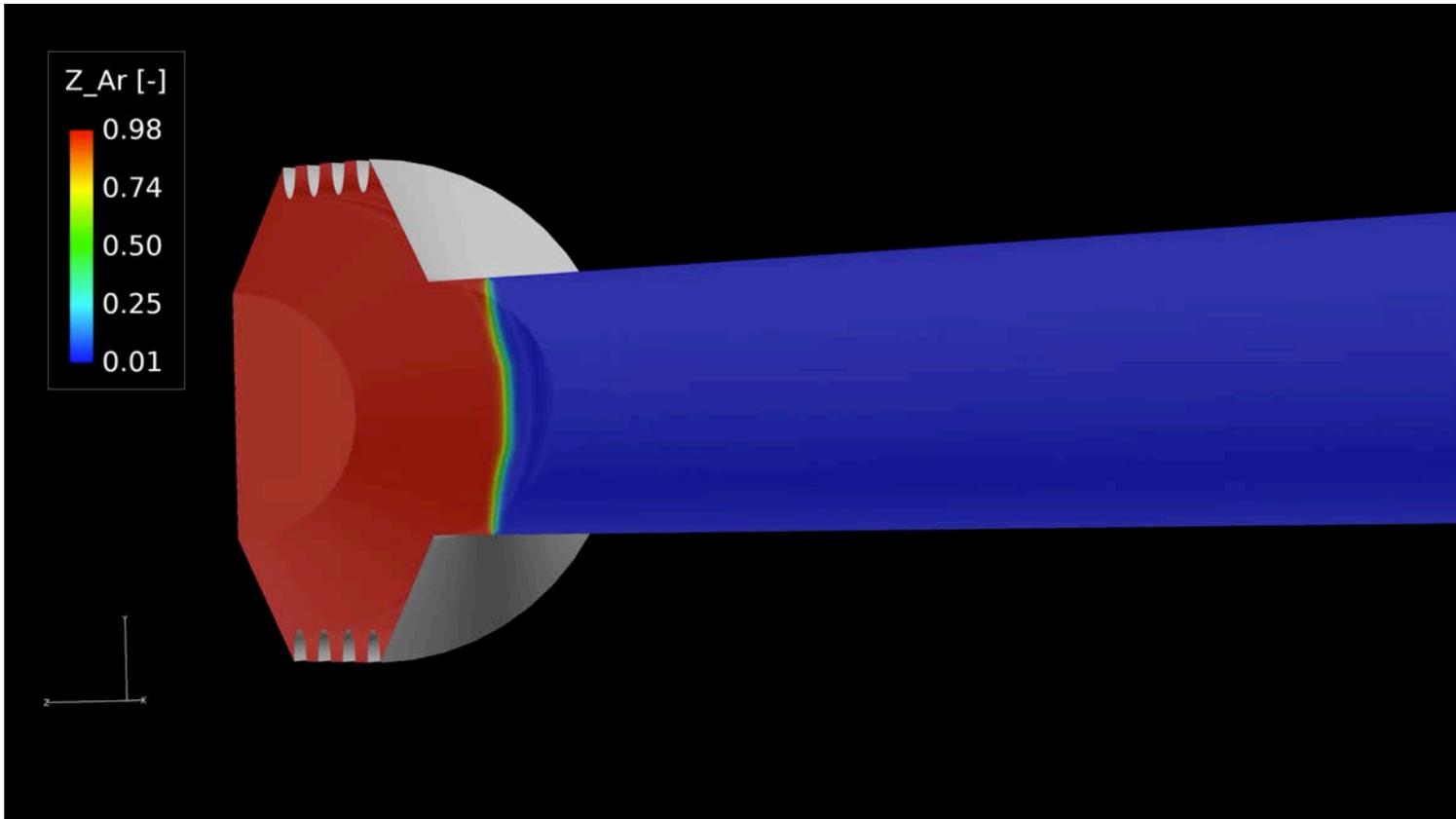
Current density and magnetic field intensity



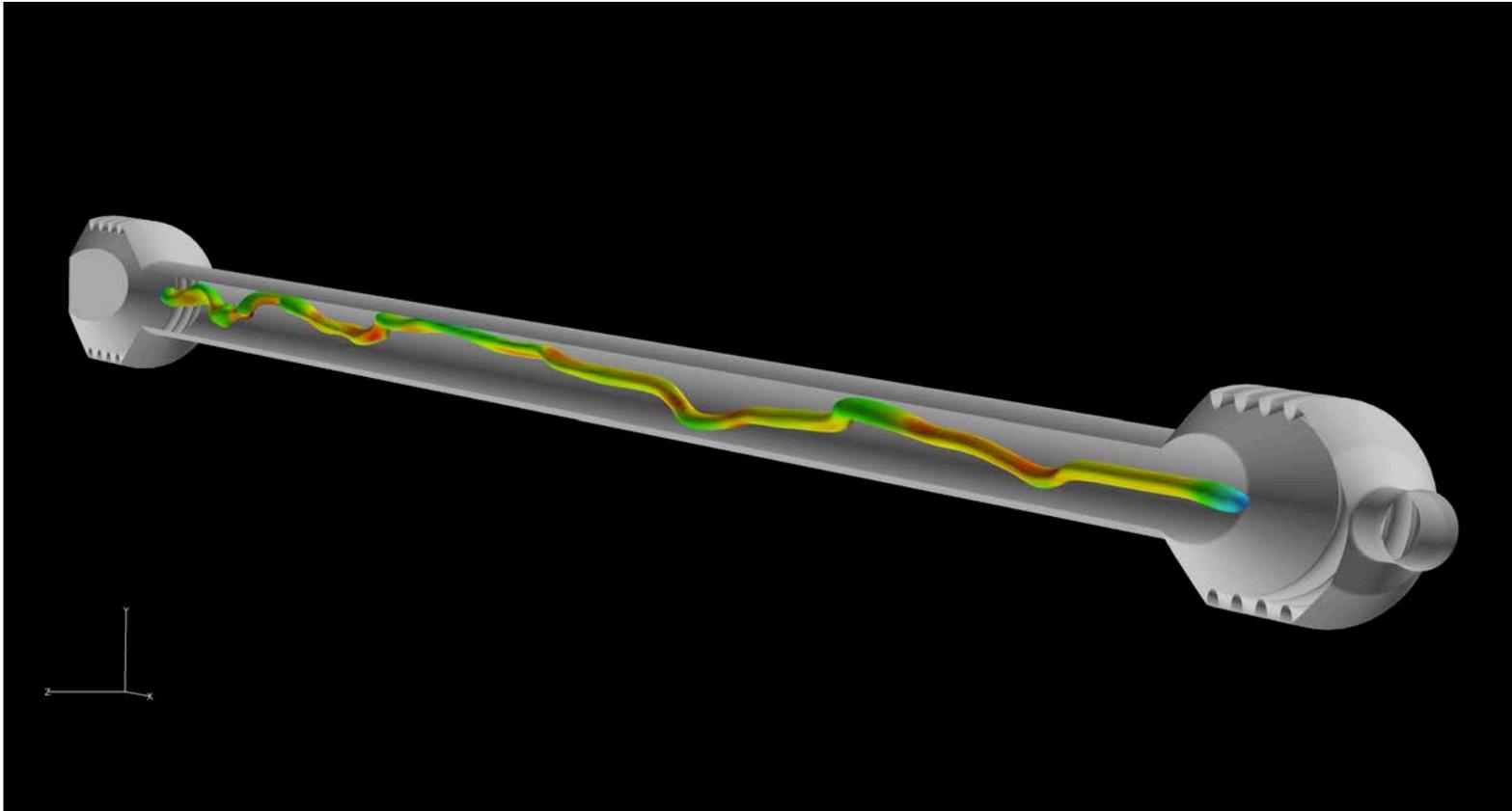
Arc attachment at the electrode



Argon mass fraction

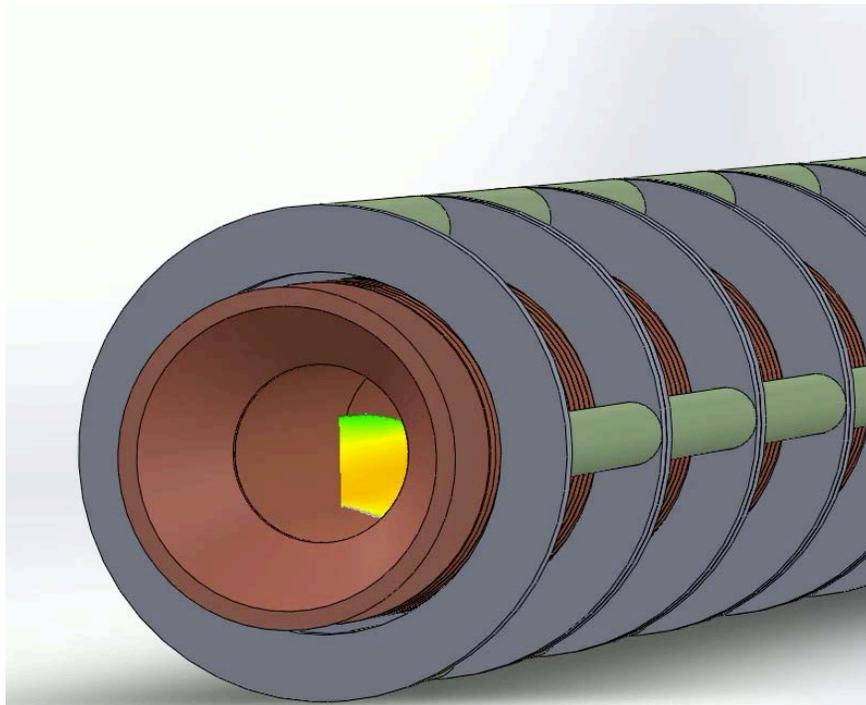


Impact of argon injection on arc stability



Experimental validation [3]

P.O.C.: Magnus Haw



Measurement of Magnetic Kink Instability
AHF TP3 Heater Column (10MW arcjet)

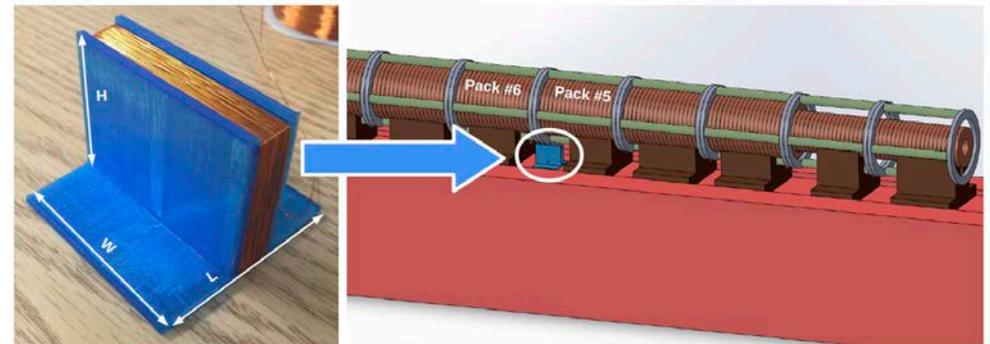


Fig. 1 Image of inductive coil sensor and coil placement below AHF heating column.

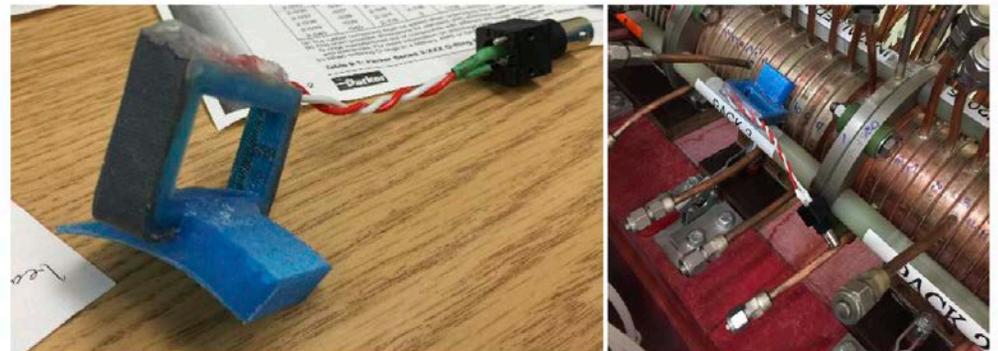
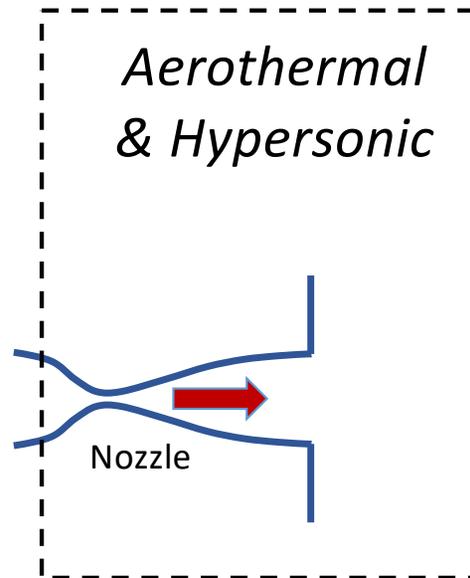
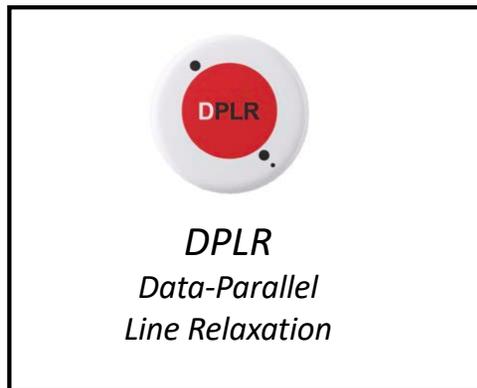


Fig. 2 (Left) Column mounted coil: rectangular coil with 100 turns of AWG 33 wire. 3D printed mount matches curvature of column and thin lower lip fits into the gap between the column and green tension bar. (Right) Coil mounted on Pack 3 of AHF 10 MW heater.

Part 2

High-fidelity modeling of arc-jet aerothermal environments



CFD/Machine Learning simulations [4]

P.O.C.: Patricia Ventura Diaz

Generating database for ML

1. Given \dot{m} for each p_i & h_i

2. Mutation++: Compute inflow variables

3. DPLR: Stag. point CFD solution each q_w & p_w

ML

4. Scikit-learn: Find $[p_i, h_i]$ for $q_{w,exp}$ & $p_{w,exp}$

High-fidelity CFD

5. Mutation++: Compute inflow variables

6. DPLR: Stag. point CFD solution each q_w & p_w

7. BLAYER: Compute the BLE envi. C_H, h_e & p_w

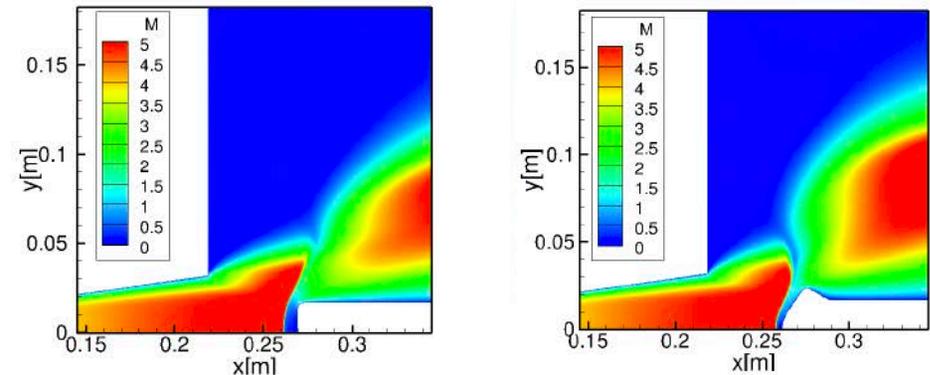


Fig. 1 Mach number contours using Earth atmosphere.

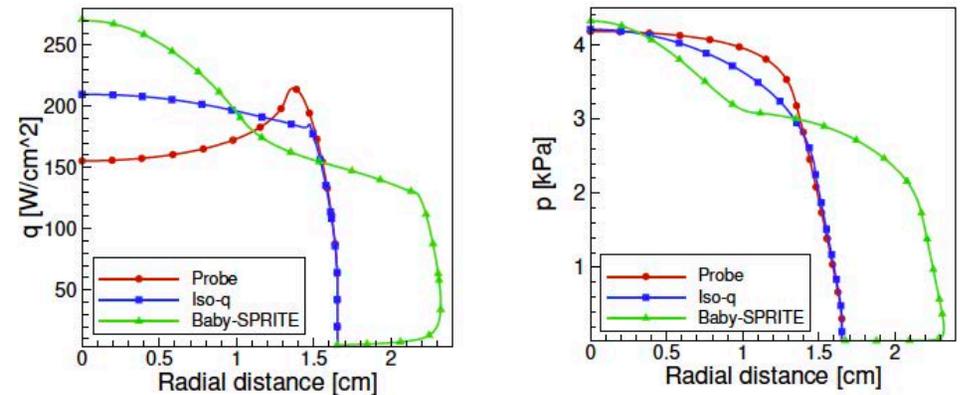
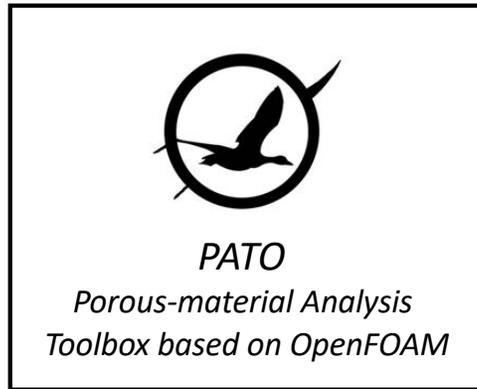


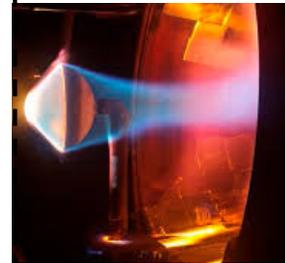
Fig. 2 Distribution of heat flux (left) and pressure (right).

Part 3

High-fidelity material response modeling

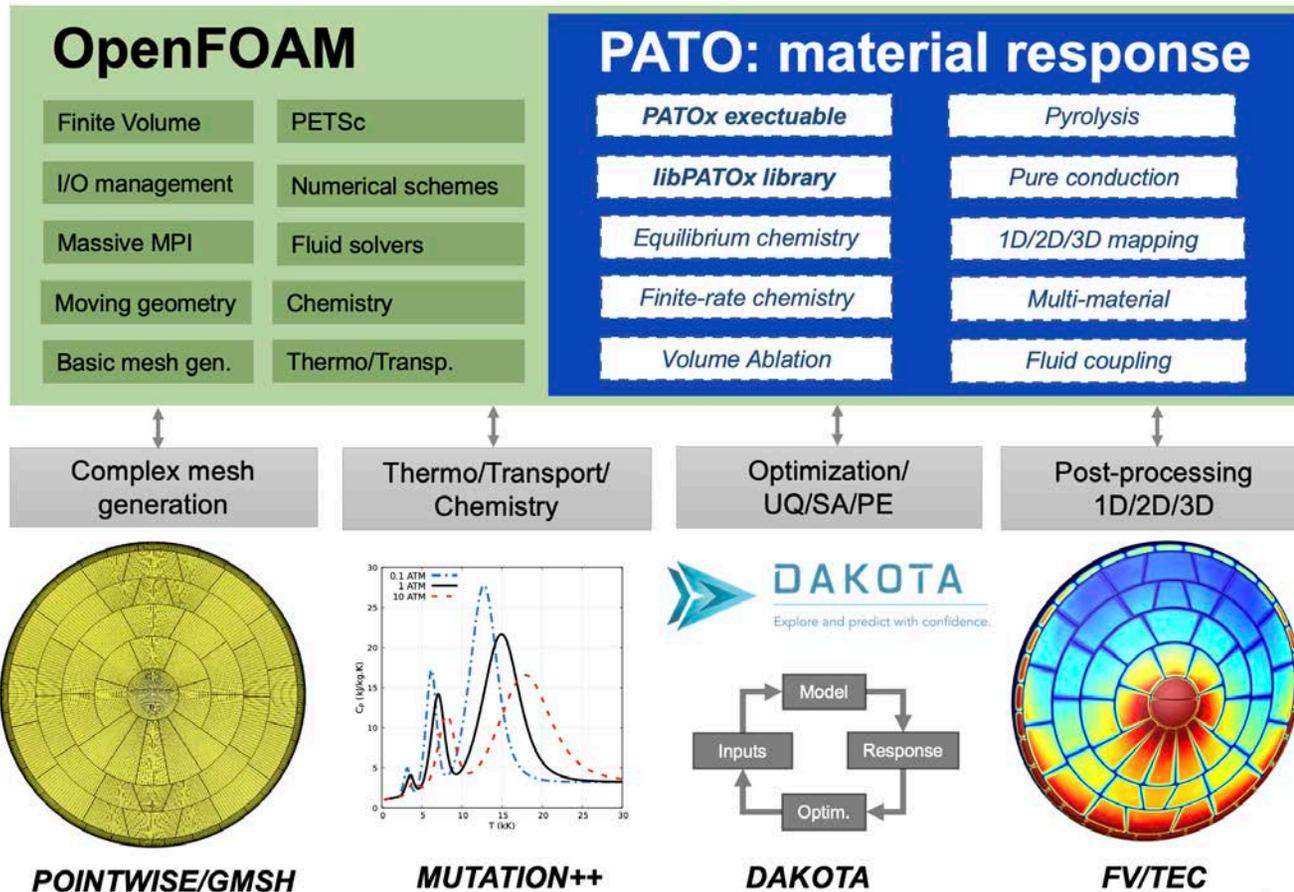


Material
Response



Porous material Analysis Toolbox based on OpenFOAM [5,6,7]

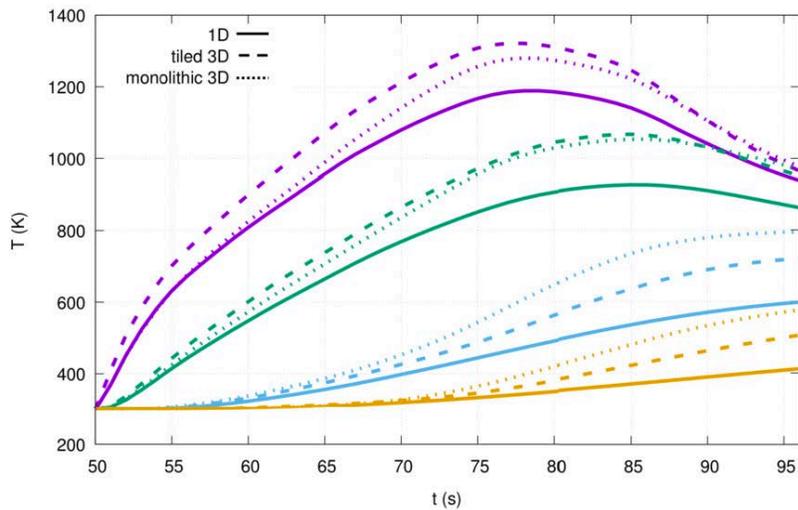
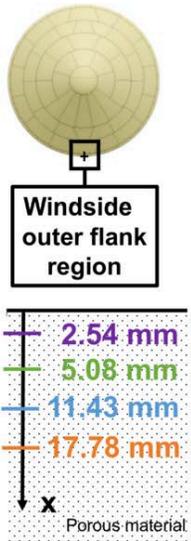
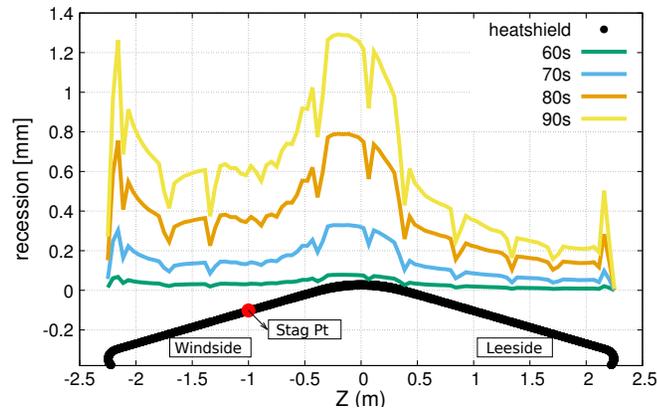
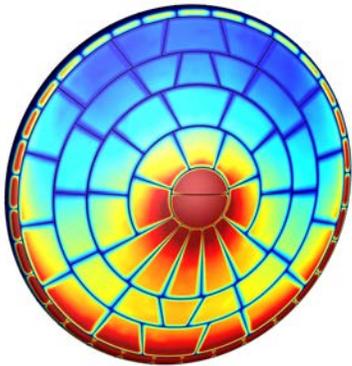
PATO overview



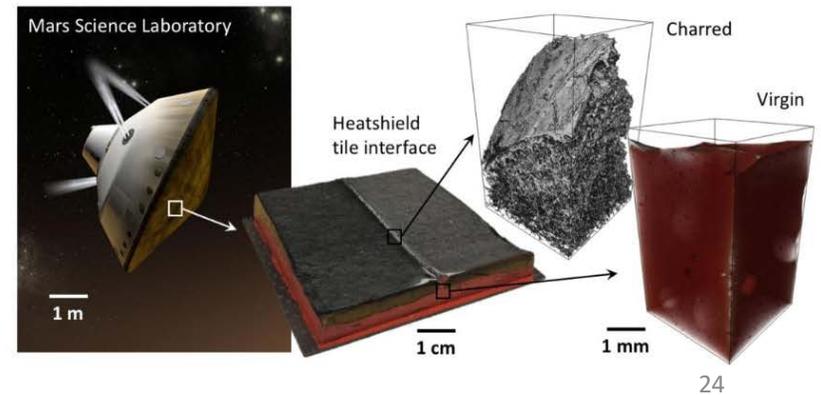
More info on PATO

- *PATO website:*
 - <http://www.pato.ac/>
- *Private gitlab:*
 - gitlab.com/PATO/PATO-dev
- *PATO module on PFE*
 - module use -a /u/jmeuriss/modulefiles
 - module load PATO/dev
 - module load dakota/6.7
 - module load cmake/3.9
- *1D, 2D, 3D tutorials on PFE*
 - /u/jmeuriss/sharing/PATO/PATO-dev/tutorials
- *P.O.C. Jeremie Meurisse*
 - jeremie.b.meurisse@nasa.gov

MSL simulations using DPLR and PATO [7]



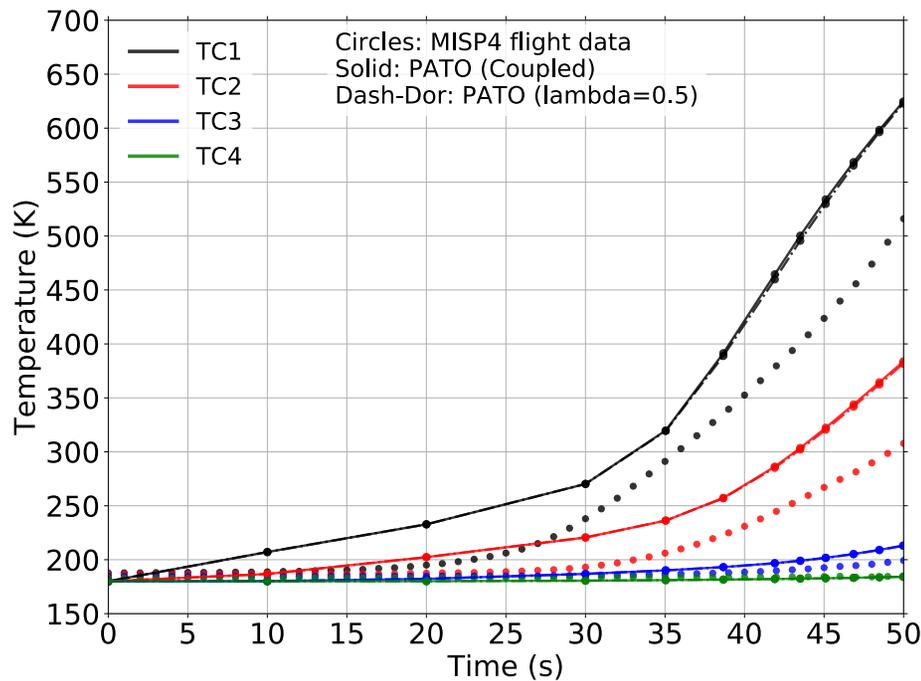
Fencing effect due to RTV between the tiles



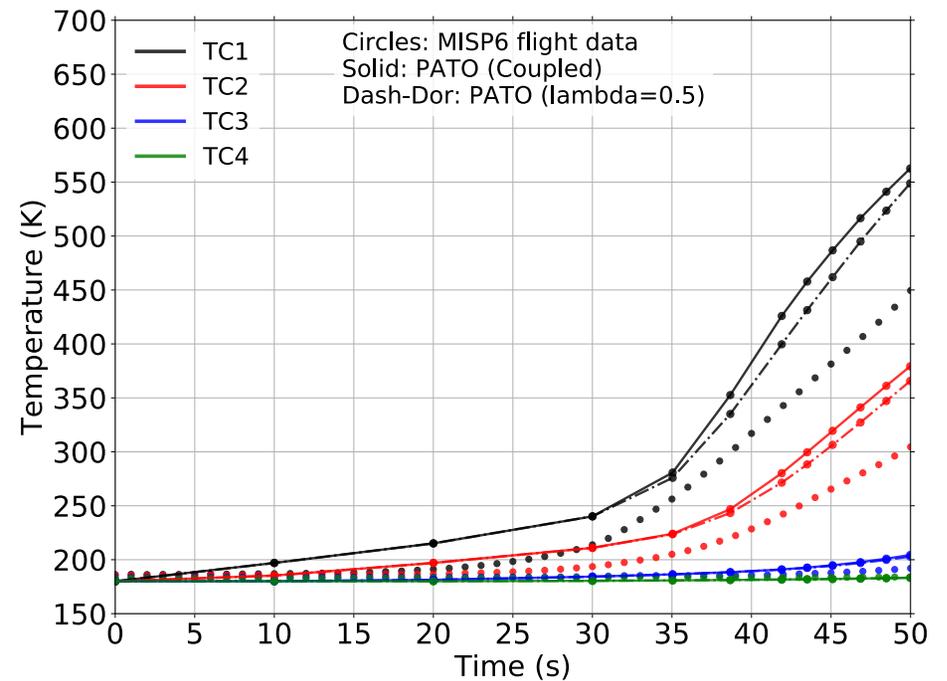
Coupling of the pyrolysis gas blowing [8]

P.O.C.:
John
Thornton

MISP4



MISP6

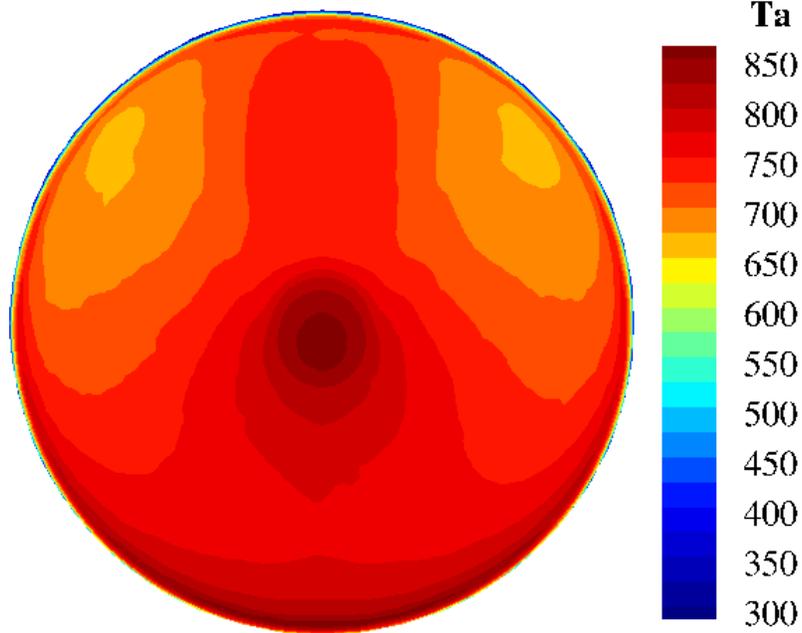


- PATO and DPLR coupling via the pyrolysis gas blowing.
- Environments up until 35 sec were provided from DSMC and were not coupled.
- Radiation computations from NEQAIR were added starting at 42 sec.

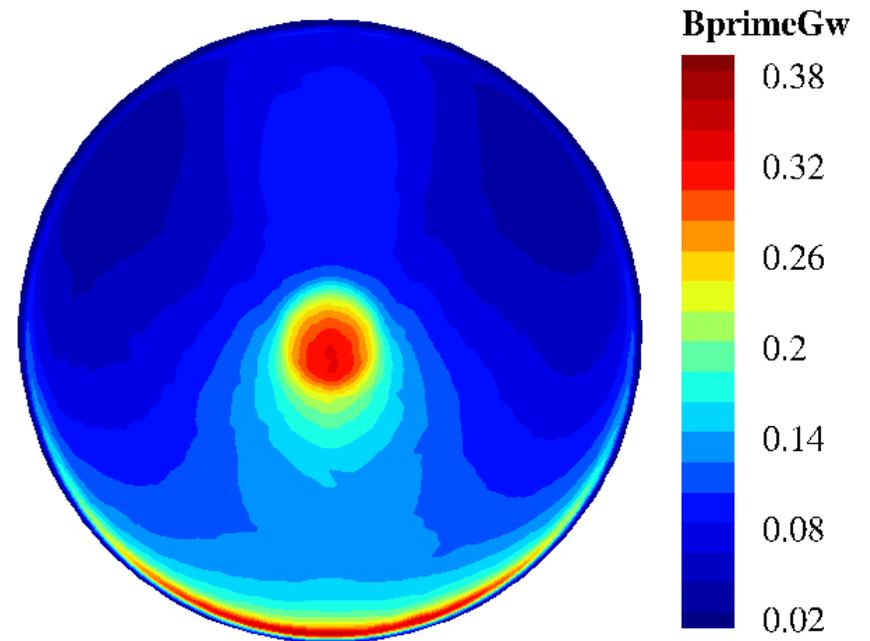
Coupling of the pyrolysis gas blowing [8]

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John
Thornton

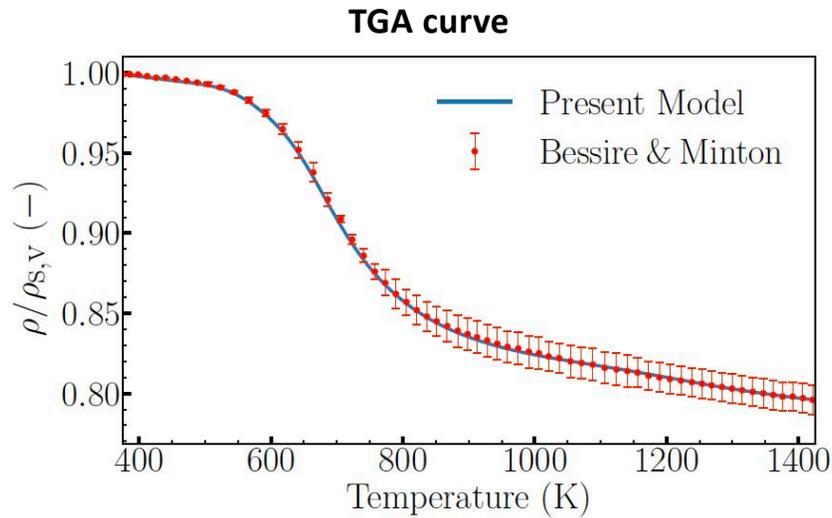
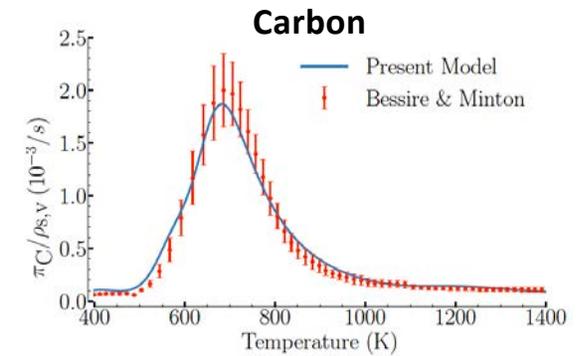
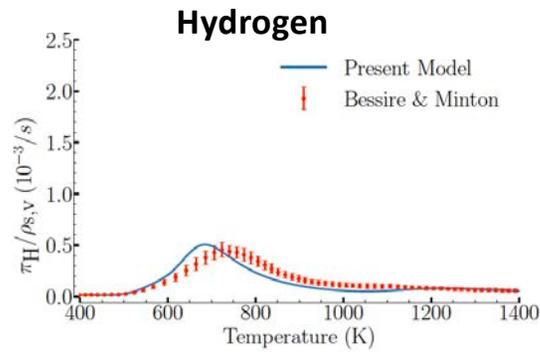
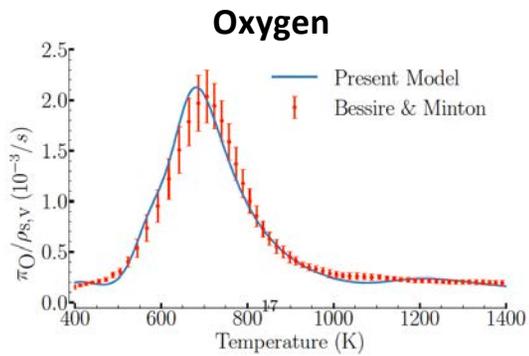
Temperature at 42 sec



Pyrolysis gas blowing at 42 sec



Calibration of the pyrolysis gases [9]



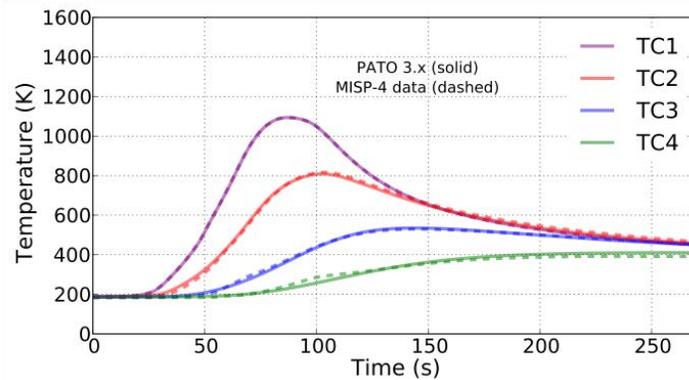
New pyrolysis model for PICA

R	$F(-)$	$\log(\mathcal{A})(\text{s}^{-1})$	$\mathcal{E}(\text{kJ/mol})$	$n(-)$	$\zeta(-)$
1	0.032	5.67	51.4	7.74	C 0.32
					H 0.06
					O 0.62
2	0.089	7.02	87.4	4.02	C 0.40
					H 0.07
					O 0.53
3	0.336	7.03	103.7	4.33	C 0.42
					H 0.12
					O 0.46
4	0.086	6.9	194.4	9.25	C 0.25
					H 0.21
					O 0.54

Inverse analysis using Dakota and PATO [10,11]

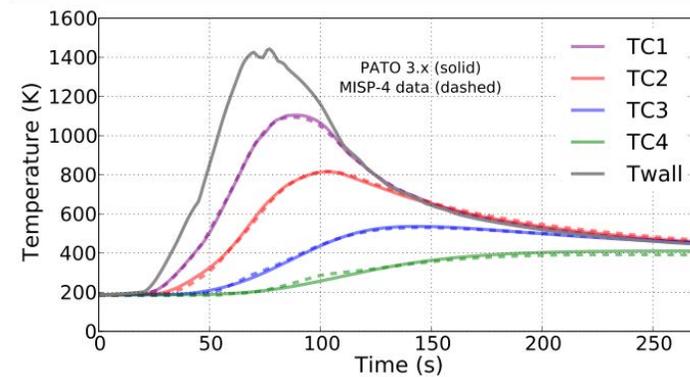
P.O.C.:
John
Thornton

TC1 driver



- **Estimation of material properties**
- Shallowest MISP4 thermocouple
- Imposed wall temperature
- Equilibrium chemistry
- Calibrated pyrolysis

Inverse environment

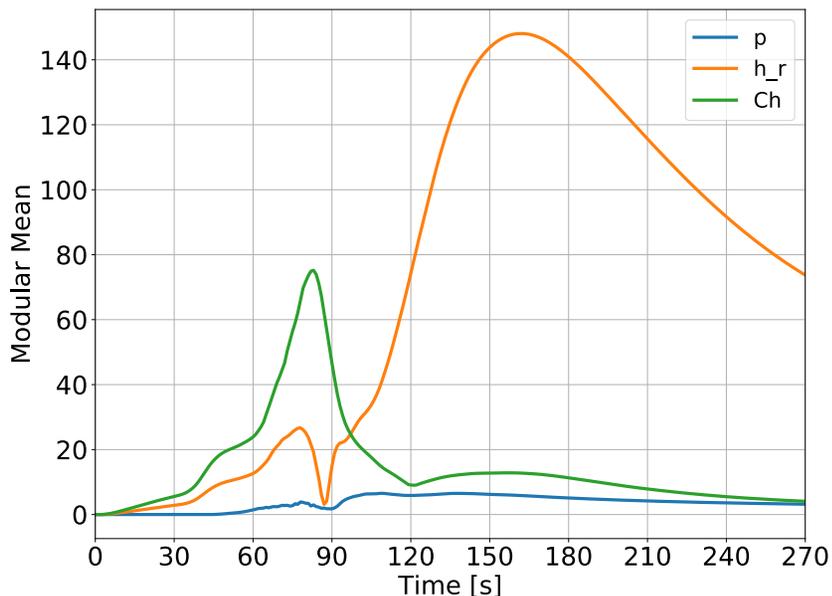


- **Estimation of surface convective heat flux and char ablation rate**
- Calculated temperature and recession using surface mass and energy balance
- Material properties from TC1 driver

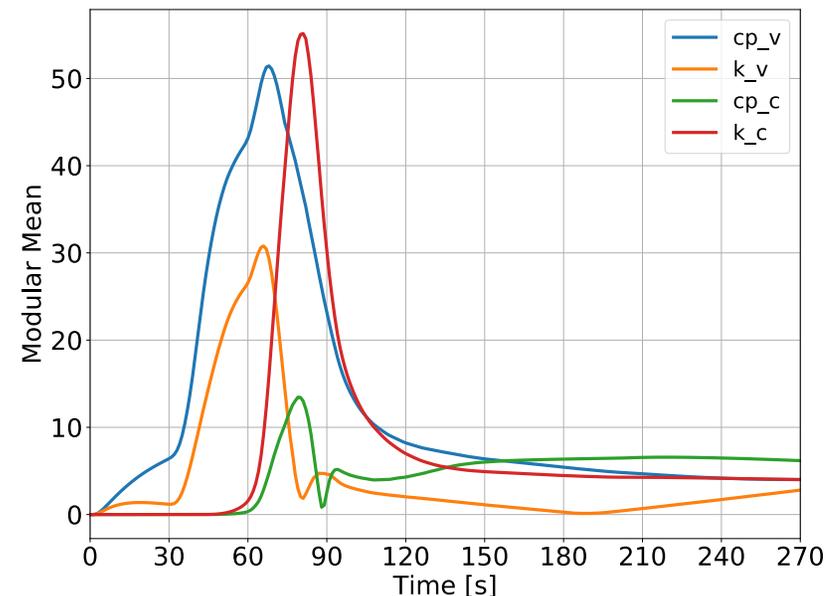
Sensitivity analysis using Dakota and PATO

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Thornton

Environment (MISP2 – TC2)

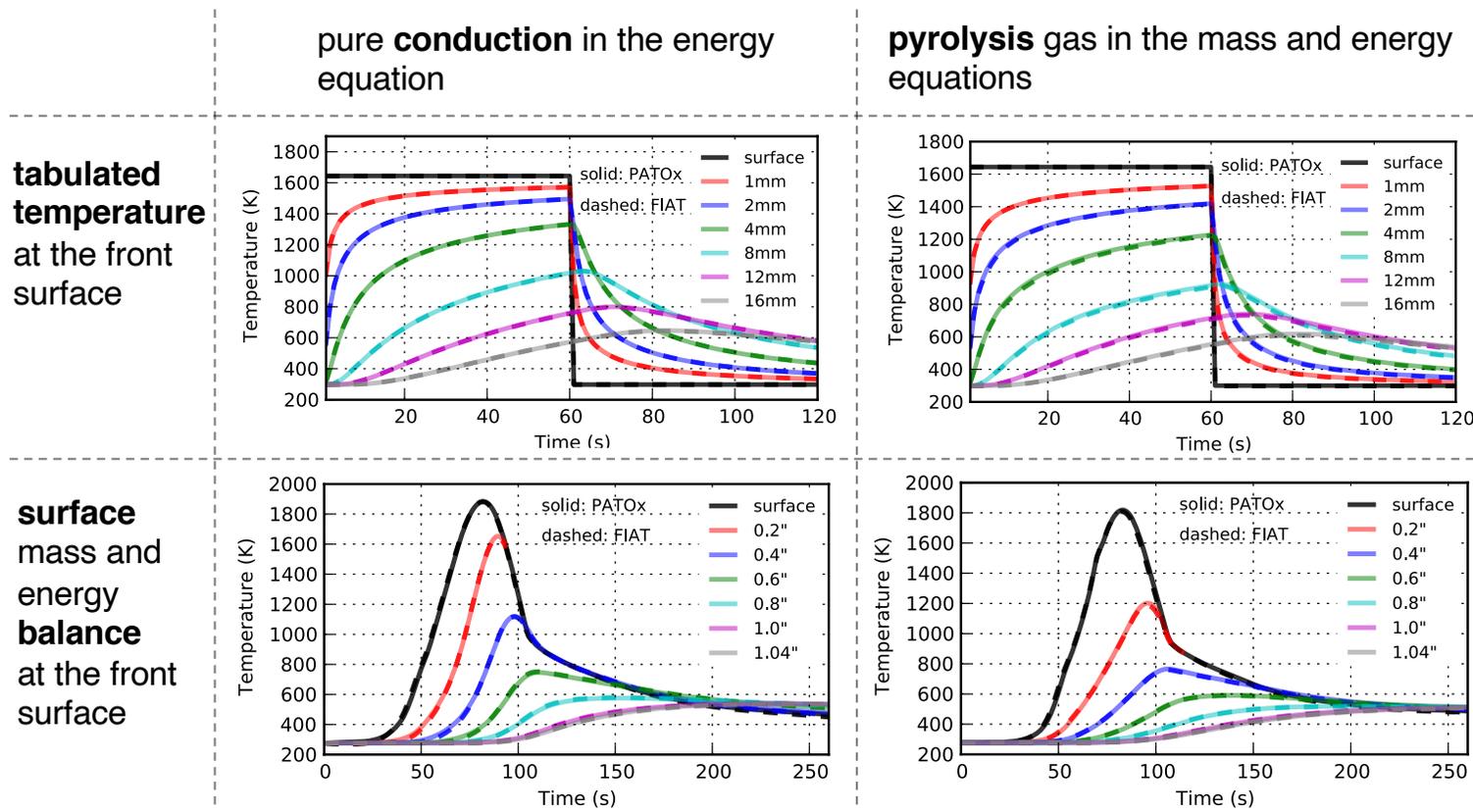


Material properties (MISP2 – TC2)



- Sensitivity of MSL response temperature to environment and material properties.
- Morris method in DAKOTA with PATO material response simulations for each MISP.
- Aerothermal environments obtained using DPLR (continuum) and SPARTA (rarefied).
- 1D material response simulations using PICA material properties.

Comparison between FIAT and PATO for TACOT



Full-fledged verification of PATO versus FIAT for TACOT

HyMETS test campaign – March 2019 [12,13]

P.O.C.:
Brody
Bessire

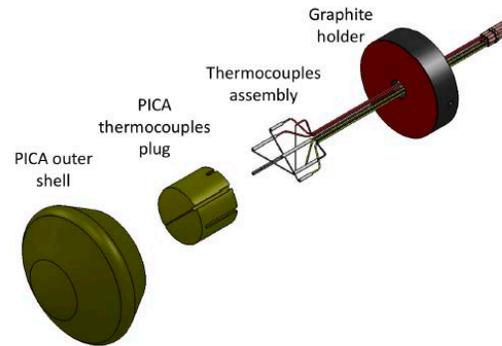
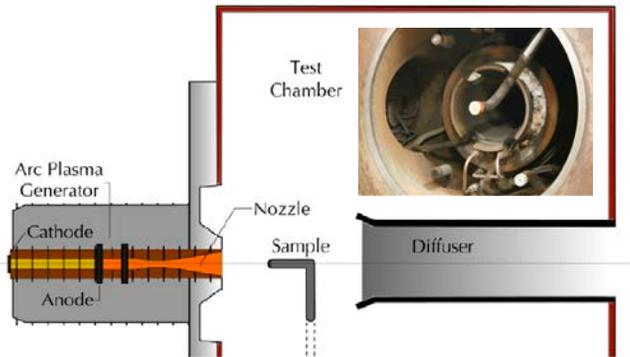


Fig. 1 Schematic view of HyMETS test section. [4] Fig. 2 Baby-SPRITE model assembly.

Fig. 3 Baby-SPRITE sample.

Material	Model	Atmosphere	Heat flux [W/cm ²]	Pressure [kPa]
PICA-N	1	Earth	140	5.6
PICA-N	2	Earth	140	5.6
PICA-N	3	Earth	140	5.6
PICA-N	4	Earth	60	4.1
PICA-N	5	Earth	224	6.6
PICA-N	6	N ₂	131	5.3

Material	Model	Atmosphere	Heat flux [W/cm ²]	Pressure [kPa]
PICA-N	7	Mars	127	5.2
PICA-N	8	Earth	60	3.9
PICA	9	Earth	140	5.6
PICA	10	N ₂	130	5.3
PICA	11	Earth	223	6.6
PICA	12	Mars	126	5.3

Material response simulations: CO₂ [12,15,16]

Material	Model	Atmosphere	Heat flux [W/cm ²]	Pressure [kPa]
PICA	12	Mars	126	5.3

BLAYER: $p_w = 5.2 \text{ kPa}$ | $C_H = 0.19 \frac{\text{kg}}{\text{m}^2\text{s}}$ | $h_e = 6.7 \frac{\text{MJ}}{\text{kg}}$

Recession: $r_{exp} = 5.69 \text{ mm}$ | $r_{pato} = 6.10 \text{ mm}$

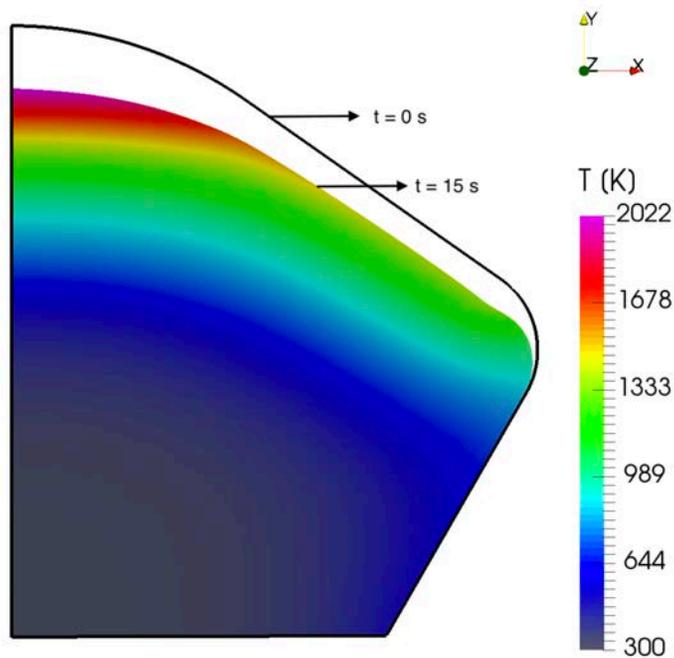


Fig. 1 Temperature and recession at 15 sec.

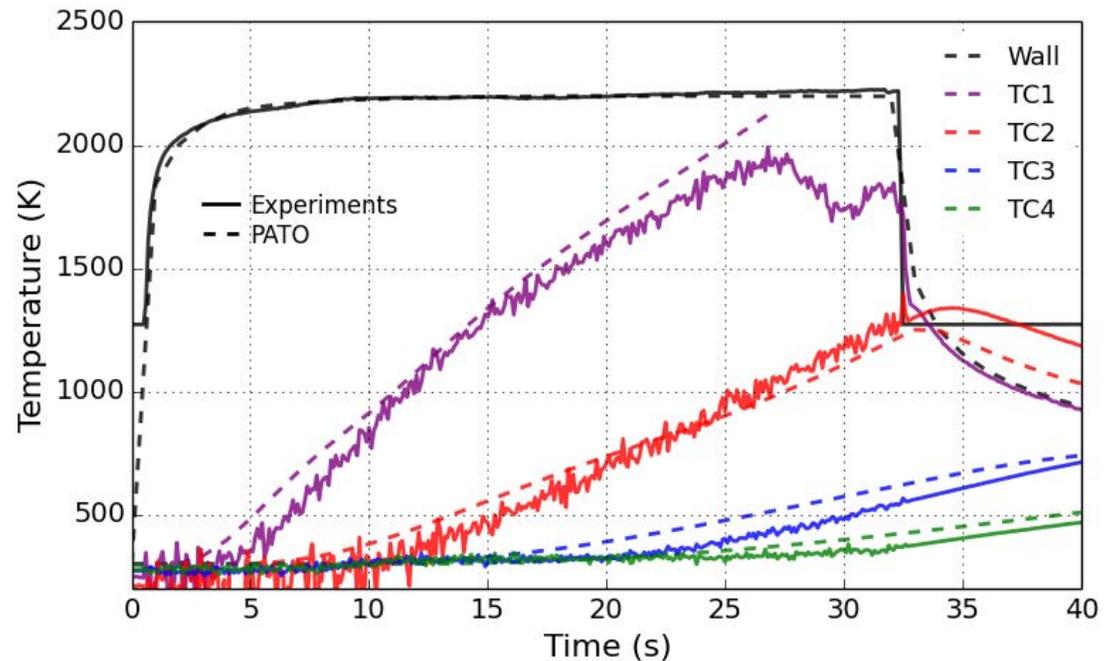
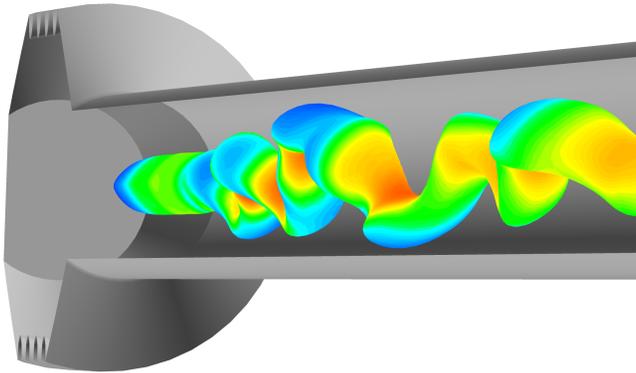


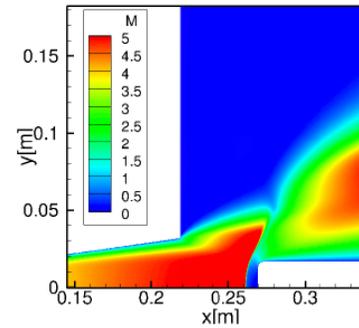
Fig. 2 Evolution in time of the temperature.

Summary

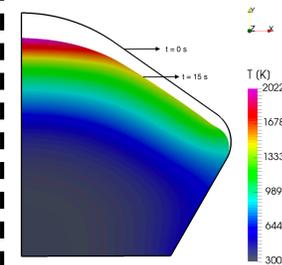
MHD + 3D radiative transfer



*Aerothermal
& Hypersonic*



*Material
Response*



ARChES
ARC Heater Simulator



DPLR
*Data-Parallel
Line Relaxation*



PATO
*Porous-material Analysis
Toolbox based on OpenFOAM*

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and more



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